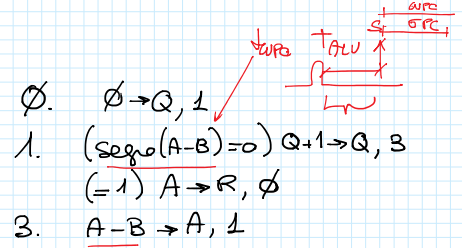
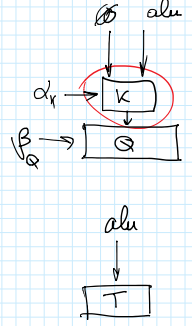
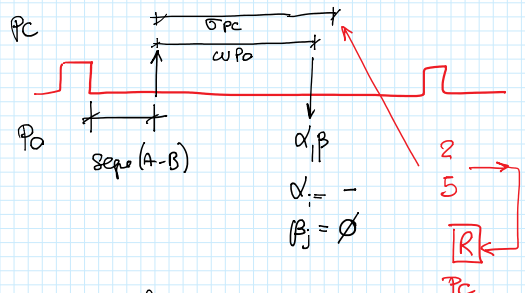


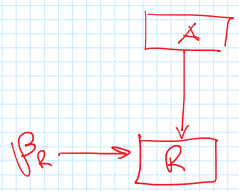
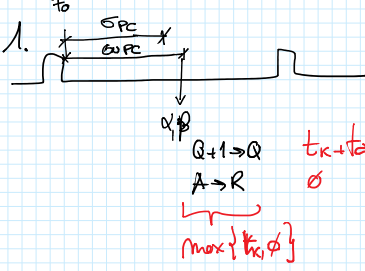
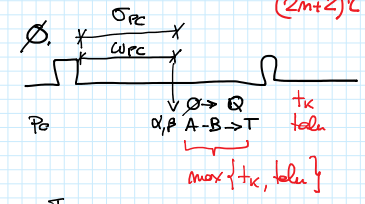
(domande delle binarie precedenti)

martedì 11 ottobre 2016 11:05

- 1.  $\emptyset \rightarrow Q, 1$
- 2.  $(\text{segno}(A-B) = \emptyset) \text{ mop}, 2$   
 $(=1) \text{ mop}, 5$
- 3.  $Q+1 \rightarrow Q, 3$
- 4.  $A-B \rightarrow A, 1$
- 5.  $A \rightarrow R, \emptyset$



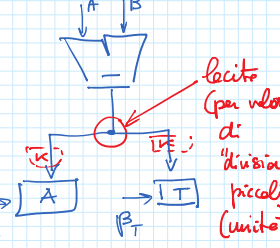
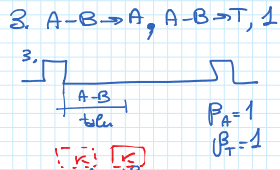
- 1.  $(\text{segno}(A-B) = 0) Q+1 \rightarrow Q, 3$   
 $(=1) A \rightarrow R, \emptyset$
- 2.  $A-B \rightarrow A, 1$
- 3.  $A-B \rightarrow T, 1$



- 1.  $\emptyset \rightarrow Q, 1$
- 2.  $A-B \rightarrow T, 2$
- 3.  $(T_0 = 0) Q+1 \rightarrow Q, T \rightarrow A, 1$   
 $(T_0 = 1) A \rightarrow R, \emptyset$

$\Sigma = \Sigma$

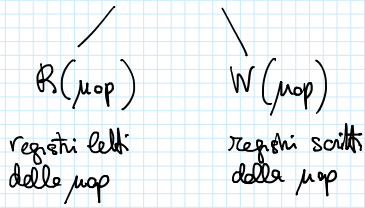
- 1.  $\emptyset \rightarrow Q, A-B \rightarrow T, 1$
  - 2.  $(T_0 = 0) Q+1 \rightarrow Q, A-B \rightarrow A, A-B \rightarrow T, 1$   
 $(T_0 = 1) A \rightarrow R, \emptyset$
- $(m+1)\Sigma$



facile (per valori di "divisioni" piccoli (unità))

↳ Condizioni di BERNSTEIN

test per capire se



$$\left. \begin{matrix} i. \mu-op_A, i+1 \\ j. \mu-op_B, k \end{matrix} \right\} \neq \left\{ i. \mu-op_A, \mu-op_B, k \right.$$

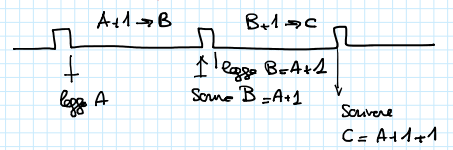
$$\begin{matrix} R(\mu op_A) & R(\mu op_B) \\ W(\mu op_A) & W(\mu op_B) \end{matrix}$$

$$\begin{matrix} R(A-B \rightarrow T) = \{A, B\} & R(Q+1 \rightarrow Q) = \{Q\} \\ W(A-B \rightarrow T) = \{T\} & W(Q+1 \rightarrow Q) = \{Q\} \end{matrix}$$

1)  $W(\mu op_A) \cap R(\mu op_B) = \emptyset$  "dipendenza"

$$\begin{matrix} A+1 \rightarrow B & B+1 \rightarrow C \\ \mu op_A & \mu op_B \end{matrix} \quad W_A \cap R_B = \{B\}$$

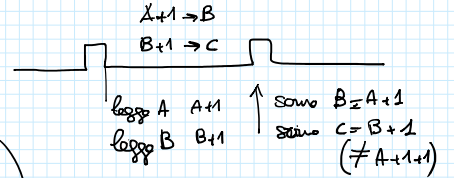
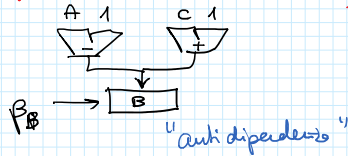
non le posso mettere insieme!



2)  $W(\mu op_A) \cap W(\mu op_B) = \emptyset$  "dipendenza di output"

$$\left. \begin{matrix} i. A+1 \rightarrow B, i+1 \\ i+1. C+1 \rightarrow B, k \end{matrix} \right\} i. A+1 \rightarrow B, C+1 \rightarrow B, k$$

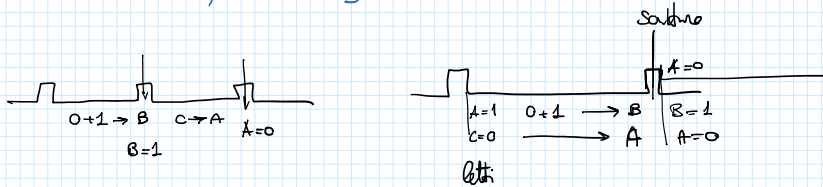
non posso metterle nello stesso  $\mu$ -istruzione



3)  $R(\mu op_A) \cap W(\mu op_B) = \emptyset$  (non è necessario perché permettere la trasformaz.)

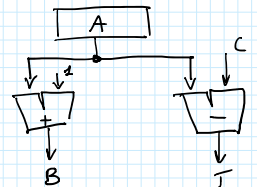
$A=1$   
 $C=0$

$$\left. \begin{matrix} i. A+1 \rightarrow B, i+1 \\ i+1. C \rightarrow A, k \end{matrix} \right\} i. A+1 \rightarrow B, C \rightarrow A, k$$



4)  $R(\mu op_A) \cap R(\mu op_B) = \emptyset$

$$\left. \begin{matrix} i. A+1 \rightarrow B, i+1 \\ i+1. A-C \rightarrow T, k \end{matrix} \right\} R_A \cap R_B = \{A\}$$



$$\left. \begin{matrix} i. (R()) \text{---}, i+1 \\ j+1. \text{---} (R()W()), k \end{matrix} \right\} \left. \begin{matrix} i. \text{---}, i+1 \\ i+1. ( \text{---} ), k' \end{matrix} \right\}$$

# Variabili di condizionamento

martedì 11 ottobre 2016 12:23

Complesse

indicare trasformazioni delle uscite di registri ( $P_0$ ) fatte tramite reti combinatorie prive di ingressi di controllo

es  $\text{sego}(A-B)$   $\text{or}(A)$   
 (da fa solo  $\ominus$ )  
 (con ingressi che sono solo  $A, B$ )

$$T_{WRP} = k \cdot t_p$$

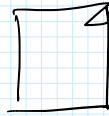
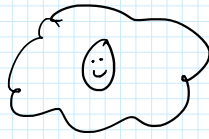
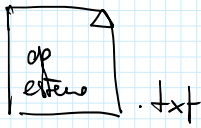
$$T_{WRP} = \emptyset$$

Semplici

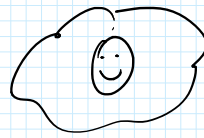
indicare uscite di registri ( $P_0$ ) senza trasformazioni

e.g.  $I_0$   $\boxed{S}$   
 $\downarrow$   
 $\uparrow$

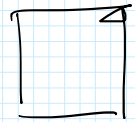
Ottimizzabili  $\mu$ -cedice



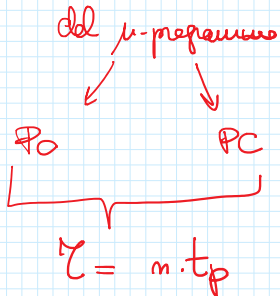
$\mu$ -programma



Bomolein



$\mu$ -programma ottimizzato



$\forall$  op. esterna: segno il flusso logico delle  $\mu$ -istruzioni eseguite e la costo  $k_i$

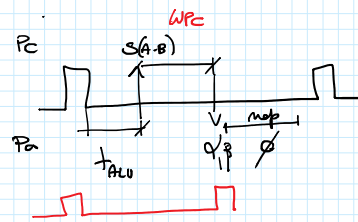
$T$  tempo medio di elaborazione

$$T = \sum_{i=0}^{m-1} p_i \cdot k_i \quad \zeta = \zeta \sum p_i \cdot k_i$$

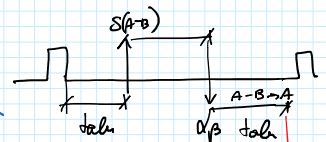
$\hookrightarrow$  proba dell'op esterna:  $\sum p_i = 1$

2.  $(\text{sego}(A-B) = \emptyset)$   $\text{nop}, 2$   
 $(=1)$   $\text{nop}, 5$

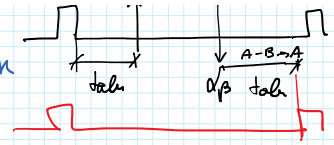
3.  $A-B \rightarrow A, k$



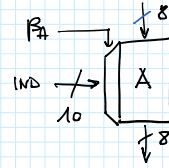
2'.  $(\text{sego}(A-B) = 0)$   $A-B \rightarrow A, k$



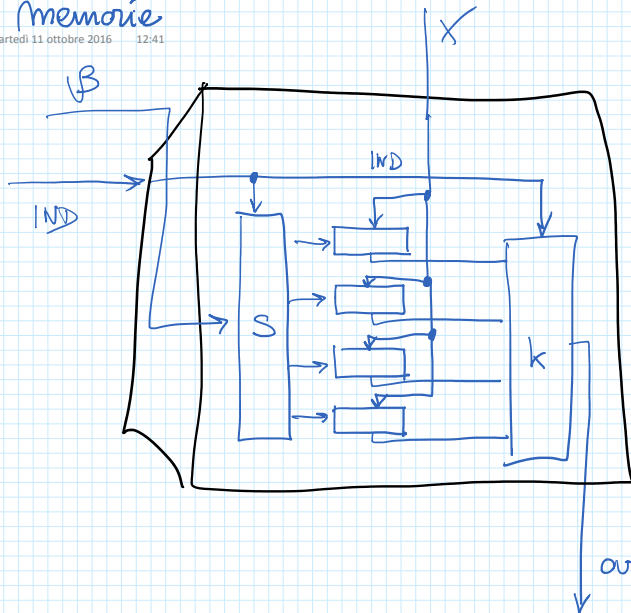
2'. (sego(A-B)=0) A-B → A, n  
(=4) . . . .



sostituire le occorrenze di X con Y  
in una memoria A di 1024 posizioni  
da 8 bit

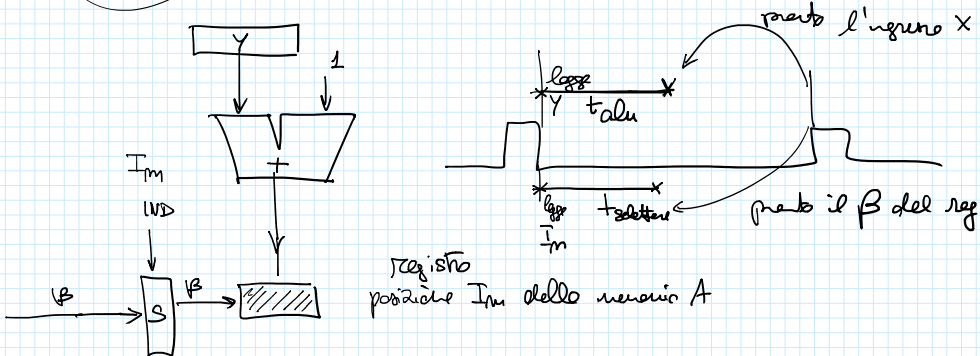
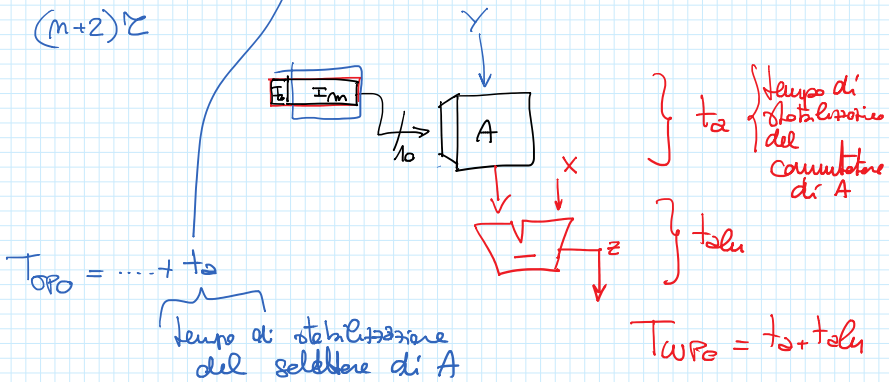
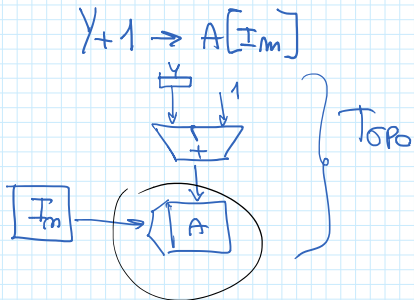


```
for(i=0; i<1024; i++)
  if(A[i]==X)
    A[i]=Y;
```



- ①  $\emptyset. I = \emptyset$
  - ② 1.  $(I_0 = 0, \text{zero}(A[I_m] - X) = 01)$
  - ③  $Y \rightarrow A[I_m], I+1 \rightarrow I, 1$
  - ④  $(= 00) I+1 \rightarrow I, 1$
  - ⑤  $(= 1-) \text{nop}, \emptyset$  ← solo  $I = 1023$
- out  $\oplus$
- $(m+2) \Sigma$

I da 11 bit  
00...0  
11...10  
11...11 1023  
1000...00



$$T_{op0} = \dots + \max \left\{ t_a (\text{selettore}), t_{preparazione} \right\}$$