

1a

{ CCB₁, CBCA₂, ADA₃ }

\$A → 3

\$C → 1,2

AD → 3

BC → 2

CA → 2

CB → 1,2

CC → 1

DA → 3

1b

Q = BCCB

\$B → ∅

BC → 2

CB → 1,2

CC → 1

≥ |Q| - e · k = 4 - 1 · 2 = 2 OF THE K-GRAMS MUST MATCH

SO THE CANDIDATES ARE CCB, CBCA

2a

CLIENT

SERVER

HOW_MUCH_IS_GOOD\$\$ $\xrightarrow{h_1, \dots, h_6}$ HOW_MUCH_ARE_GOOD\$\$

SO THE SERVER SENDS GZIP(h₁ h₂ h₃ ARE-h₅ h₆) I.E.

<0,0,h₁> <0,0,h₂> <0,0,h₃> <0,0,A> <0,0,A> <0,0,E> <0,0,->
<0,0,h₅> <0,0,h₆>

2b

SERVER

CLIENT

HOW_MUCH_ARE_GOOD\$ $\xrightarrow{h_1, \dots, h_6}$ HOW_MUCH_IS_GOOD\$

THEN THE CLIENT SENDS THE BITMAP 111011

AND THE SERVER REPLIES WITH:

GZIP(HOW_MUCH_ | ARE_GOOD\$) = <0,0,A> <0,0,A> <0,0,E>
KNOWN BY THE CLIENT | NEW

3a

- $t_1 \rightarrow 2, 5, 6, \boxed{8}, 10, 11, 13$
- $t_4 \rightarrow 3, 5, \boxed{8}, 11, 13, 19, 22$
- $t_3 \rightarrow 5, 6, 7, \boxed{8}, 10, 12, 13, 21$
- $t_2 \rightarrow \boxed{8}, 11, 12, 13, 15, 17, 19, 21, 25$

UBs

0.5	}	SUM TO $3 > \theta = 2.5$
1		
0.8		
0.7		

THE PIVOT IS 8. THE SUM OF THE UBs OF LISTS CONTAINING THE PIVOT IS $3 > \theta$ SO WE COMPUTE THE FULL SCORE OF THE PIVOT

3b

- $t_1 \rightarrow 2, 5, 6, \boxed{8}, 10, 11, 13$ (UB: 0.5)
- $t_4 \rightarrow 3, 5, \boxed{8}, 11, 13, 19, 22$ (UB: 0.8)
- $t_3 \rightarrow 5, 6, 7, \boxed{8}, 10, 12, 13, 21$ (UB: 0.4)
- $t_2 \rightarrow \boxed{8}, 11, 12, 13, 15, 17, 19, 21, 25$ (UB: 0.5)

UBs

0.5	}	SUM TO $3 > \theta = 2.5$
1		
0.8		
0.7		

THE PIVOT IS STILL 8, BUT THIS TIME WE DO NOT COMPUTE ITS FULL SCORE BECAUSE THE SUM OF THE LOCAL UBs IS $2.2 < \theta$

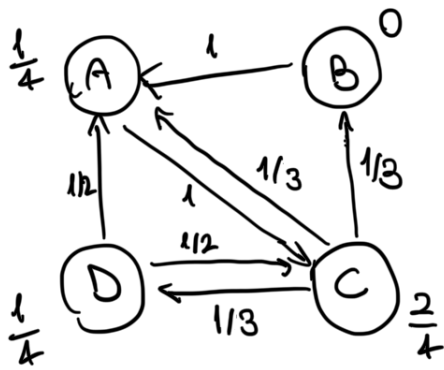
3c

WE SKIP BOTH BLOCKS IN t_1 AND t_3 BECAUSE THEIR RIGHTMOST DOCID (10) IS THE SMALLEST RIGHTMOST DOCID ACROSS ALL BLOCKS.

3d

NO, THE VALUE OF θ REMAINS UNCHANGED BECAUSE THE PIVOT 8 IS NOT FULLY SCORED IN THIS BLOCKED-WAND STEP, AND THEREFORE THE HEAP OF TOP-K DOCUMENTS (AND IN TURN θ) DOES NOT CHANGE.

4



$$r(A) = \frac{2}{3} \left(0 \cdot 1 + \frac{2}{4} \cdot \frac{1}{3} + \frac{1}{4} \cdot \frac{1}{2} \right) + \frac{1}{3} \cdot \frac{1}{4} = \frac{2}{3} \cdot \frac{7}{24} + \frac{1}{12} = \frac{7}{36} + \frac{1}{12} = \frac{10}{36}$$

$$r(B) = \frac{2}{3} \left(\frac{2}{4} \cdot \frac{1}{3} \right) + \frac{1}{12} = \frac{1}{9} + \frac{1}{12} = \frac{7}{36}$$

$$r(C) = \frac{2}{3} \left(\frac{1}{4} \cdot 1 + \frac{1}{4} \cdot \frac{1}{2} \right) + \frac{1}{12} = \frac{2}{3} \cdot \frac{3}{8} + \frac{1}{12} = \frac{4}{12} = \frac{12}{36}$$

$$r(D) = \frac{2}{3} \left(\frac{2}{4} \cdot \frac{1}{3} \right) + \frac{1}{12} = r(B) = \frac{7}{36}$$