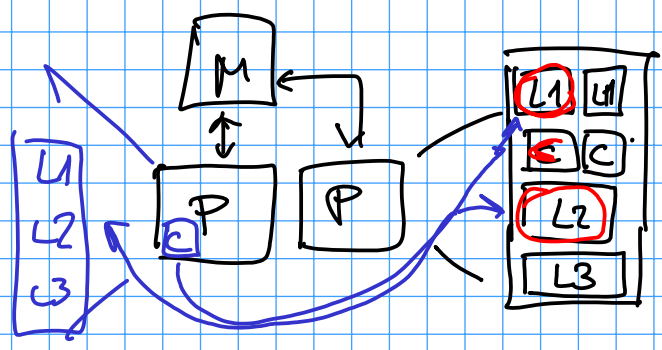


NUMA

non uniform memory access (SMP)

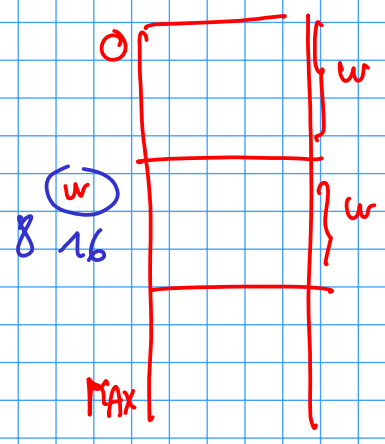
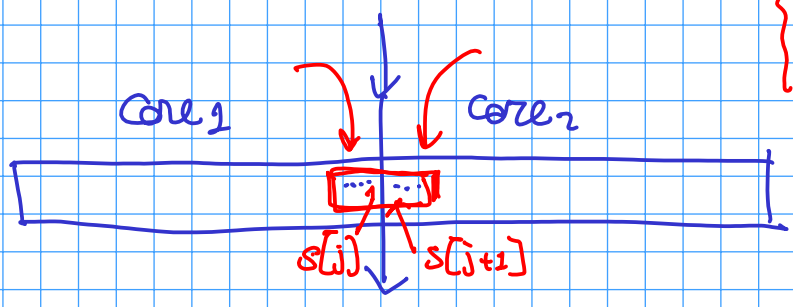
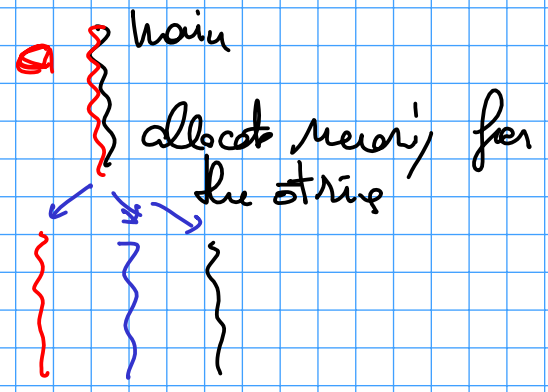


} } } }

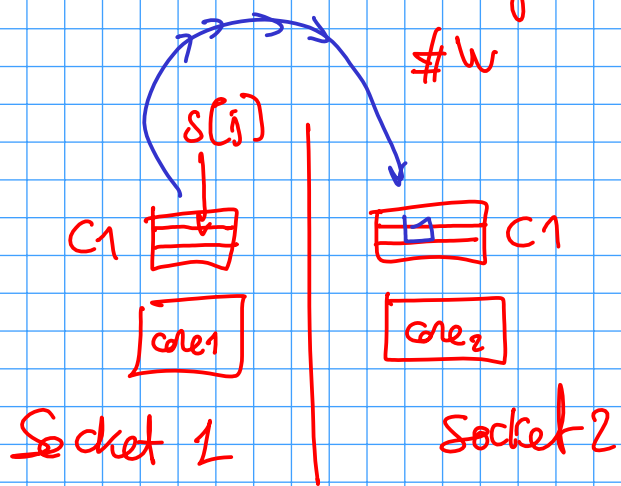
IBM CELL

main()

string text = ...



line of code
#w

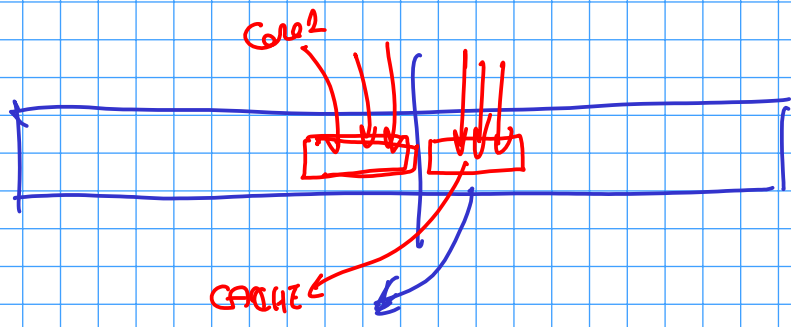


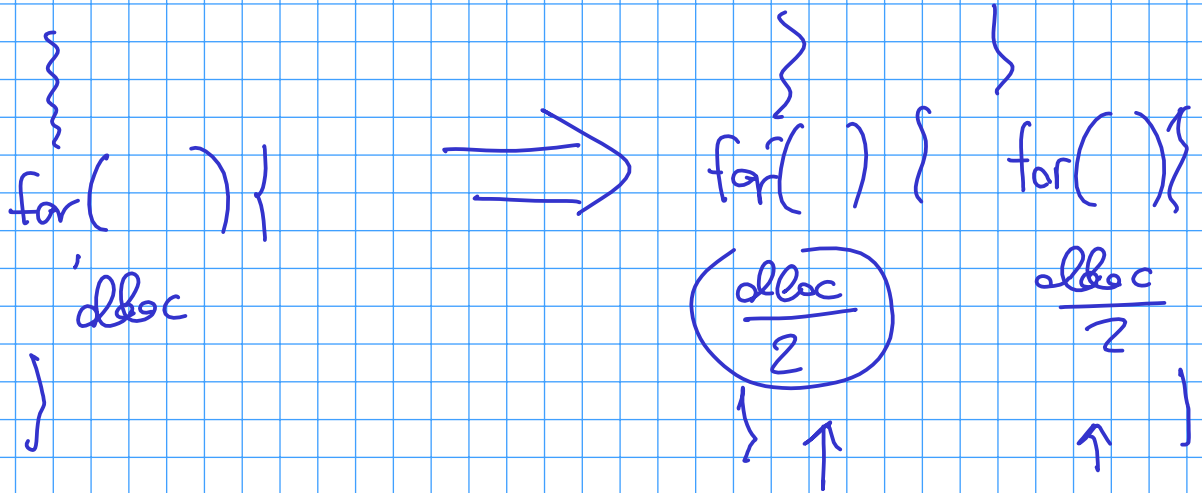
false sharing

NUMA

align directive

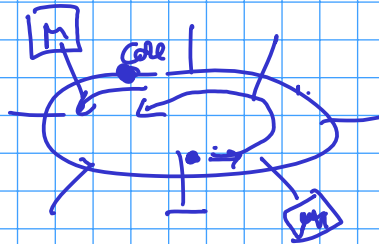
align(x, -)



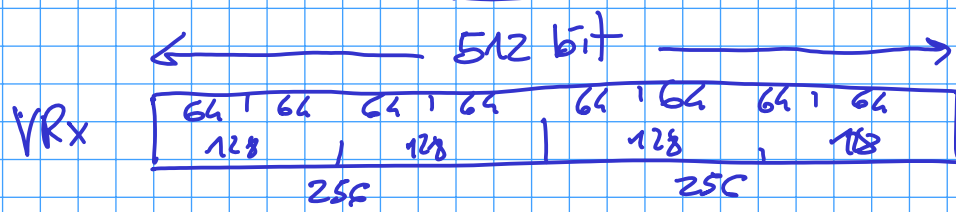


ΦHi

8 interfaces \equiv 8 buses



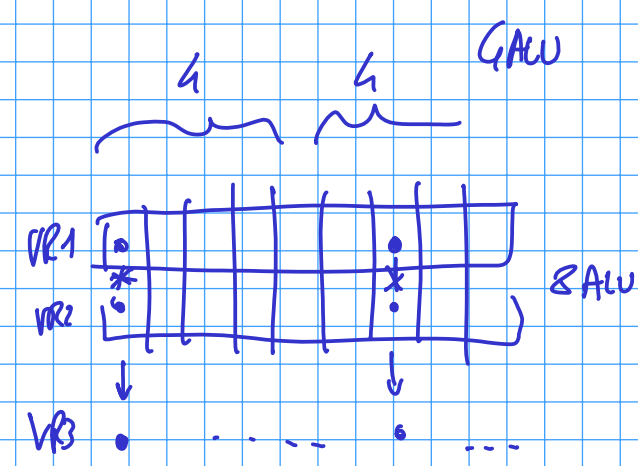
Vektor unit VFPV



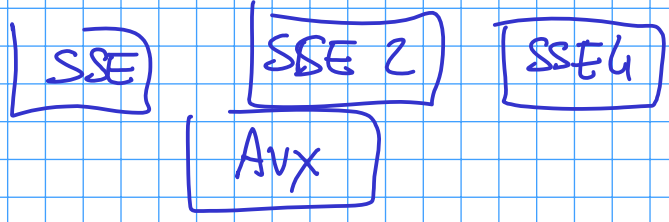
vector reg set

8 x 64-bit registers

LOAD ... , VR₅
MULH VR₁, VR₂, VR₃

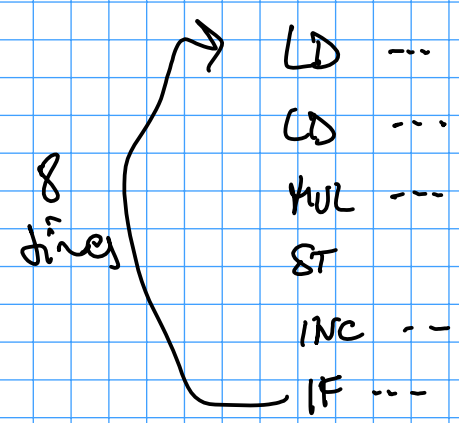


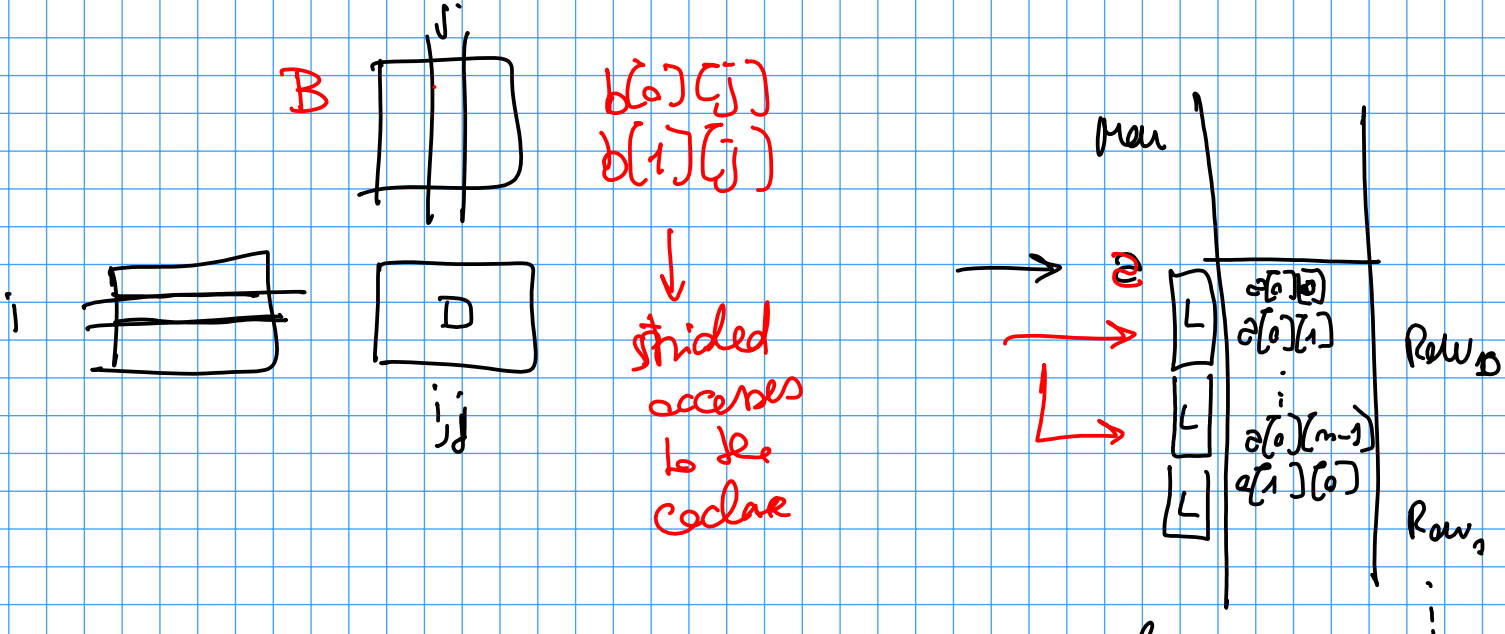
x86



opcode (

- VLOAD
- VLOAD
- VMUL
- VSTOR





Vectorize

```
for (int i=0; i<N; i++) {
    x[i]
}
```

$i = f(\dots)$

avoid to use expressions

no dependencies

```
#pragma ivdep
for ( ) { }
```

avoid use of library calls

$$x[i] = f(x[i-1])$$

lets $g(x, y) = \dots$ $x[i] = g(x[i], i)$

```
inline float f( ... ) { ... }
main
```

```
for ( ) {
    x[i] = f(x[i])
}
```

Jacobi iterative

$N \times N$

A

N

b

N

x

$$Ax = b$$

$$x_i = \frac{\left(b_i - \sum_{\substack{k=0 \\ k \neq i}}^n x_i^{(k)} a_{ik} \right)}{a_{ii}}$$

$$\text{if } (j \neq i) \quad acc = acc - (\dots)$$

main

generates $n \times n$ A matrix random
 n b vector "
 n x vector random

a single vector of the Jacobi

$$x_i = f(A, b, x_{(i-1)})$$

$$x_i^{(k+1)} = \frac{1}{a_{ii}} \left(b_i - \sum_{j \neq i} a_{ij} x_j^{(k)} \right), \quad i = 1, 2, \dots, n.$$

```
for( i=0 ; i < N , i++ )
```

```
    x[i]
```

```
for ( auto &t : x ) {
```

```
    t
```

```
source /home/spm1501/intel18/  
compiler_and_libraries/linux/bin/  
compilervars.sh intel64
```

vtune amplifier

source /home/spm1501/intel18/vtune_amplifier/amplxe-vars.sh

amplxe-cl
-gui

command line
graphic interface